Green investment and asset stranding under transition scenario uncertainty

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Motivation

- The need for a major decarbonisation of the energy system has become evident
- Climate change impacts are expected throughout the energy system itself

Traditional risk management approaches are no longer sufficient to evaluate energy-related assets and investment projects

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We develop a flexible investment project valuation model that combines :

 Integrated assessment modeling (IAM): the scenarios in the IAM help the economic agent get a sense of transition scenario uncertainty

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2 Bayesian learning: the agent progressively forms a belief about the state of the system from the observations of a signal (e.g., carbon price).

Asset stranding and green investment

- We consider two different project valuation problems:
 - Optimal exit: an agent owns a brown plant and wants to understand when it is optimal to decommission (or sell) the plant (with P&L function h^b(P_t) in year t)

The value function of the agent is of the form

$$\sup_{\tau \in \mathcal{T}_t} \mathbb{E}\left[\sum_{s=t+1}^{\tau} \beta^{(s-t)} h^b(\mathbf{P}_s) - \beta^{\tau-t} \mathcal{K}(\tau) \,\Big| \, (\mathbf{P}_t, \hat{\boldsymbol{\pi}}_t) = (\mathbf{P}, \hat{\boldsymbol{\pi}}) \right]$$

Optimal entry: an agent wants to understand when it is optimal to invest in a green energy project (with P&L function h^g(P_t) in year t)

The value function of the agent is of the form

$$\sup_{\tau \in \mathcal{T}_t} \mathbb{E}\left[\sum_{s=\tau}^{\tau+T} \beta^{(s-\tau)} h^g(\mathbf{P}_s) - \beta^{\tau-t} K(\tau) \,\Big| \, (\mathbf{P}_{\tau}, \hat{\boldsymbol{\pi}}_{\tau}) = (\mathbf{P}, \hat{\boldsymbol{\pi}}) \right]$$

Modeling the risk factors

- The agent is exposed to different risk factors (state variables), based on the type of project she wants to divest/undertake
- The risk factors P_k (e.g. electricity price, fuel price, carbon emission allowances price) follow an autoregressive dynamics with mean-reversion rate ϕ_k , volatility σ_k , and scenario-dependent mean $\mu_{k,t}^i$:

$$P_{k,t} = \mu_{k,t}^i + AR_t^k \,,$$

where AR^{k} is an autoregressive component such that

$$AR_t^{\ k} = \phi_k AR_{t-1}^{\ k} + \sigma_k \varepsilon_t^{\ k} \,,$$

and (ε_t^k) are i.i.d. standard Gaussian.

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Bayesian learning approach

The information the agent has about the scenario is encoded in a vector π_t containing the subjective probabilities of scenarios, which are updated dynamically by the agent.

• The Bayesian update is triggered by the observation of a climate-related signal

• It may also be triggered by other events (e.g., subjective perception changes)

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Bayesian learning approach

• The signal (e.g. carbon price, tons of GHG emissions) is normally distributed with mean $\mu_{y,t}^i$ and volatility σ_y , that is

$$y_t = \mu_{y,t}^i + \sigma_y \eta_t$$
, with $\eta_t \sim N(0,1)$ i.i.d.

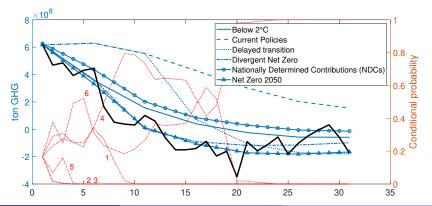
Denote by πⁱ_t the conditional probability of *i*-th scenario given the observations of a signal y up to date t:

$$\pi_t^i = \mathbb{P}[I = i | \mathcal{F}_t], \quad \mathcal{F}_t = \sigma(y_s, s \leq t).$$

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Bayesian learning approach

 Given *F*_{t-1}, we can define the joint law of π_t and y_t, and thus obtain simulated paths for the signal y_t and for the resulting conditional probabilities π_t



Pricing the real option

• We can then simulate paths of the relevant price variables **P**_t, given their law

$$\mathbb{P}[\mathbf{P}_t|\mathcal{F}_{t-1}] = \sum_{i=1}^N \pi_{t-1}^i \mathbb{P}\left[\mathbf{P}_t|I=i, \mathcal{F}_{t-1}\right] \dots$$

- ...and through the dynamic programming principle we can derive the Bellman equation of the agent's value function.
- Now, the value of the project can be computed by backward induction similarly to the value of an American option, using Least Squares Monte Carlo

Least Squares Monte Carlo

- The algorithm works by backward induction
- At each point in time, it compares the convenience of immediate exercise with that of delaying the decision
- The continuation value from keeping the option alive at each possible exercise point is computed from a least squares cross-sectional regression using the simulated paths
- In such a way, we obtain both the value of the real option and the optimal exercise time

Integrated Assessment Models (IAMs)

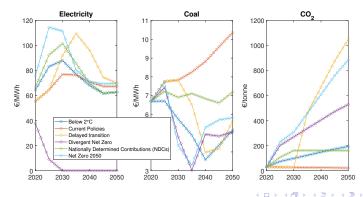
- IAMs include feedbacks between the global economy, the energy system and the climate system
- They are the convenient tool to analyze the economic impacts of climate change and climate change mitigation measures.
- IAMs are used to generate scenarios of evolution of the economy consistent with given climate objectives, based on a set of assumptions
- In this work, we employ a NFGS IAM, namely REMIND 2.1

REMIND 2.1: 6 alternative scenarios

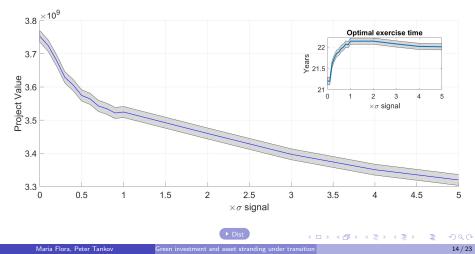
- 1 Current Policies : existing climate policies remain in place
- Nationally Determined Contributions (NDCs) : currently pledged unconditional NDCs are implemented fully, and respective targets on energy and emissions in 2025 and 2030 are reached in all countries;
- Ollayed Transition (Disorderly) : there is a "fossil recovery" from 2020 to 2030; Only thereafter countries with a clear commitment to a specific net-zero policy target at the end of 2020 are assumed to meet the target
- Below 2°C : the 67-percentile of warming is kept below 2°C throughout the 21st century
- Divergent Net Zero (Disorderly) : median temperature below 1.5°C in 2100, after a limited temporary overshoot
- 6 Net Zero 2050 : global CO₂ emissions are at net-zero in 2050

Optimal exit problem

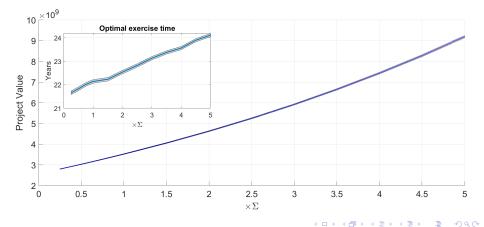
- We consider an integrated coal gasification plant without CCS technology, located in Germany
- The plant presents 3 risk factors, namely the price of electricity, the price of coal and the price of carbon



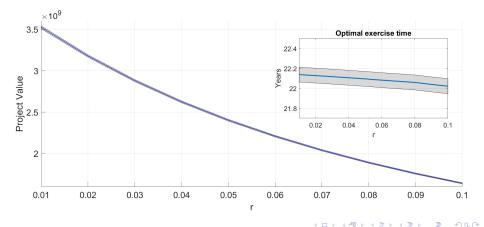
• Sensitivity of the RO value to the volatility of the signal σ_y (signal: total GHG emissions)

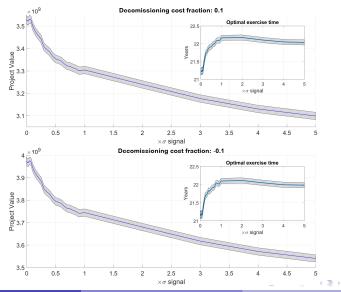


• Sensitivity of the RO value to the volatility of risk factors Σ (signal: total GHG emissions)



• Sensitivity of the RO value to the risk-adjusted discount rate *r* (signal: total GHG emissions)



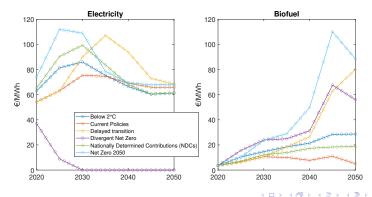


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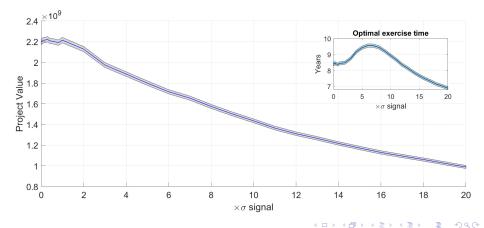
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Optimal entry problem

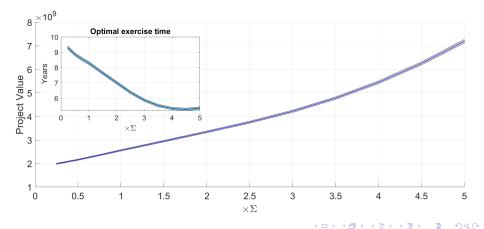
- We consider an integrated biomass power plant with CCS technology, located in Germany
- The plant presents 2 risk factors, namely the price of electricity, and the price of biofuel



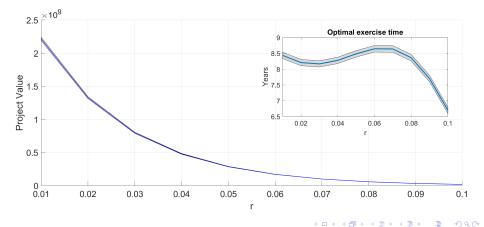
• Sensitivity of the RO value to the volatility of the signal σ_y (signal: carbon price)



• Sensitivity of the RO value to the volatility of risk factors $\boldsymbol{\Sigma}$ (signal: carbon price)



• Sensitivity of the RO value to the risk-adjusted discount rate *r* (signal: carbon price)



Thank you for your attention!

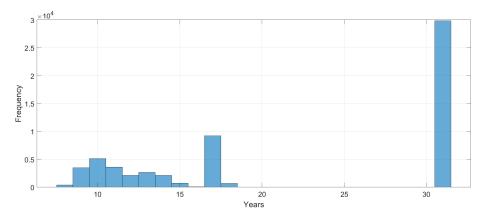
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